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hEART

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Integrating OSM and GTFS to create MATSim plans using PT

- Introduction
- Problem statement
- Previous attempts made by others
- OpenStreetMap (OSM)
- General Transit Feed Specification (GTFS)
- Solution
- Results
- Brooker

Introduction

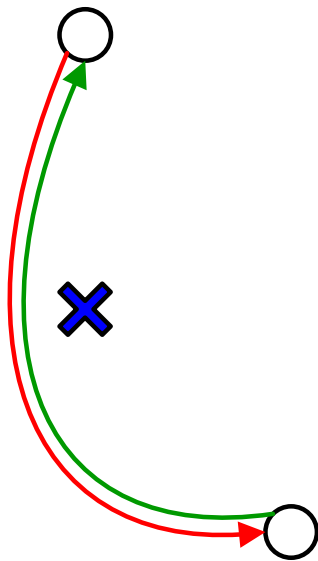
- Activity-based transport micro-simulations
 - Travel demand
 - Network loads
- Simulating public transport
 - Capacity utilization

Problem statement

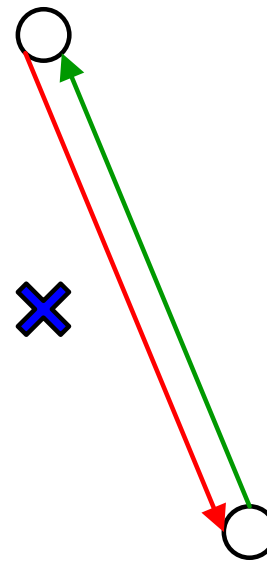
- Automate integration of
 - OSM (OpenStreetMap) network
 - Public transport schedules from GTFS (General Transit Feed Specification)
- +/-31.000 bus stops in Flanders
 - No 100% positional accuracy
- Open source data is frequently updated

Previous attempts made by others

- MATSim extension: GTFS2TransitSchedule



(a)



(b)

OpenStreetMap (OSM)

- Advantages
 - Free
 - Frequent updates
 - ...
- Disadvantages
 - Lack of rules for adding data
 - Inconsistent data
 - Duplicate data
 - Incorrect data (number of lanes, weakly connected network, etc.)
 - ...

OSM cleaning

- Filtering road types
- Resetting incorrect individual values
- Auto complete data (e.g. total number of lanes)
- Reset incorrect values for related quantities
- Add missing data through rules (FFspeed, capacity, BPR, ...)
- Remove links having zero length
- Merge GeneralTransportInfrastructures (includes junctions)
- Merge GeneralLinks (trivial node processing)
- Strongly maximum connected subgraph
- Split GeneralTransportInfrastructures (Digraph)

General Transit Feed Specification (GTFS)

- Minimum set of tables
 - Agency
 - Stops
 - Routes
 - Trips
 - Stop times
 - Calendar

Overview: Problem - Solution

- Problem

- Using geometry, assign GTFS stops to road segments
- A GTFS stop can meet several links
- Problem: *Select exactly one assignment for each GTFS stop*

- Solution

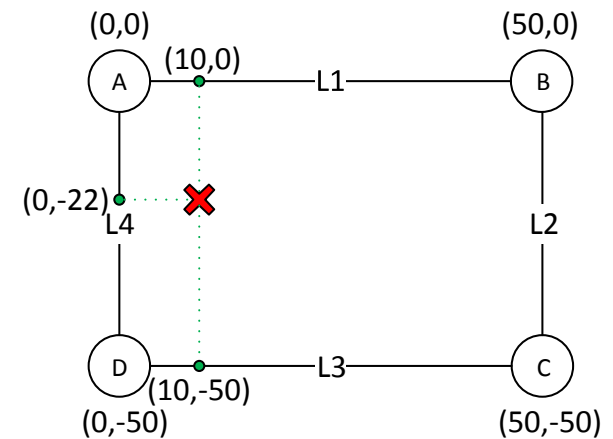
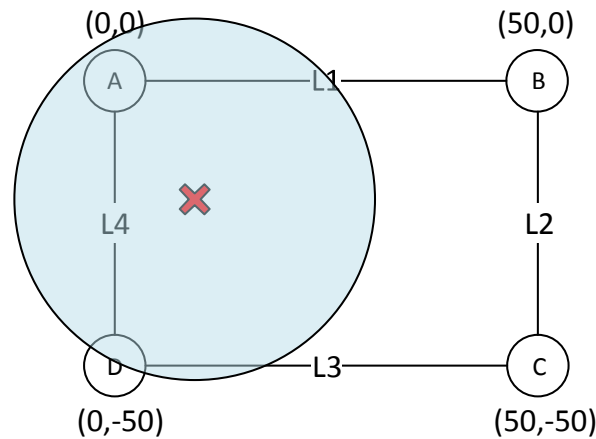
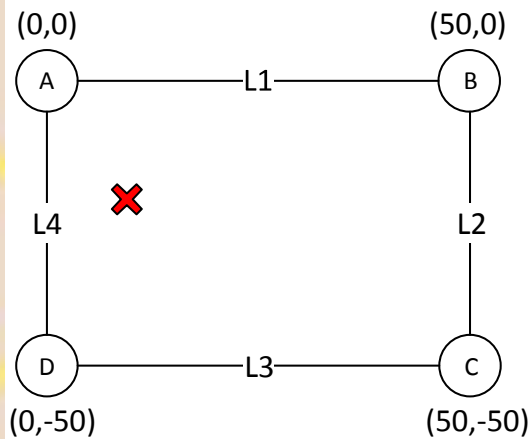
- Apply name based heuristic
- Assume that PT operator opts for the smallest total distance over trips (*optimization criterion*)
- Checking all possible combinations is infeasible
- Assign as many stops as possible using local context only
- Decompose into *set of small optimisation problems*

Solution

- Step 1: Find projected stops
- Step 2: Reduce candidates
- Step 3: Create directed graph (projected stops)
- Step 4: Assign unambiguous GTFS stops
- Step 5: Assign ambiguous non-shared GTFS stops
- Step 6: Assign ambiguous shared GTFS stops

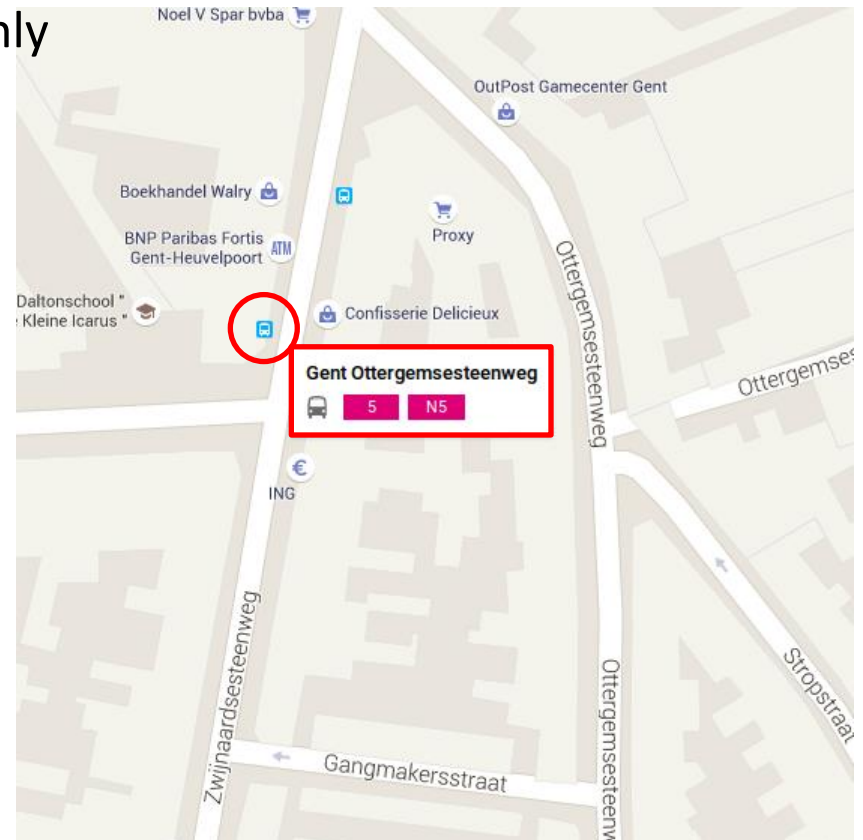
Solution

- Step 1: Find projected stops



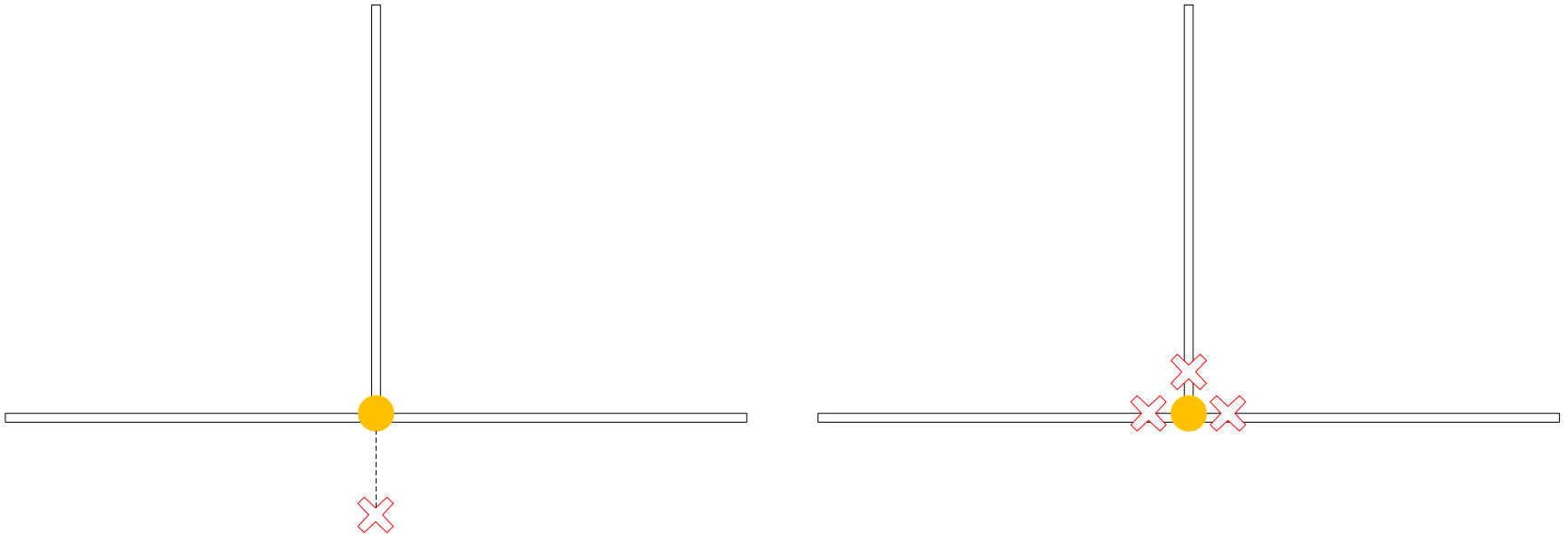
Solution

- Step 2: Reduce candidates
 - Based on street names and GTFS stop names
 - Geometrically nearest link only
 - Using Levenshtein distance



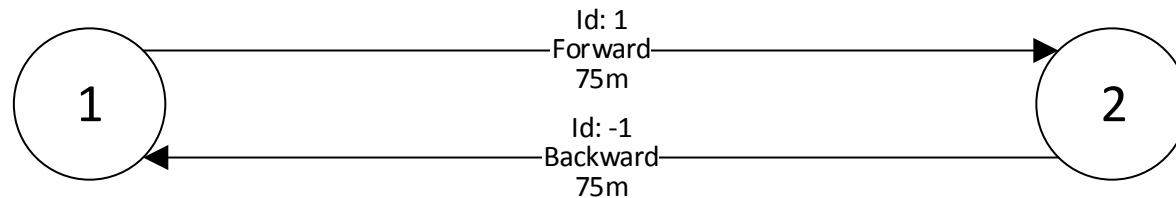
Solution

- Step 3: Create directed graph
 - Challenge: one GTFS stop generates multiple projected stops (3 having the same $\langle x, y \rangle$ in this case)



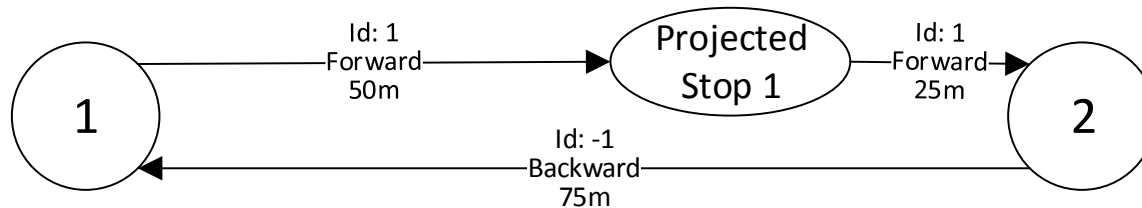
Solution

- Step 3: Create directed graph
 - Add projected stop 1 on link with id 1, not coinciding with any node



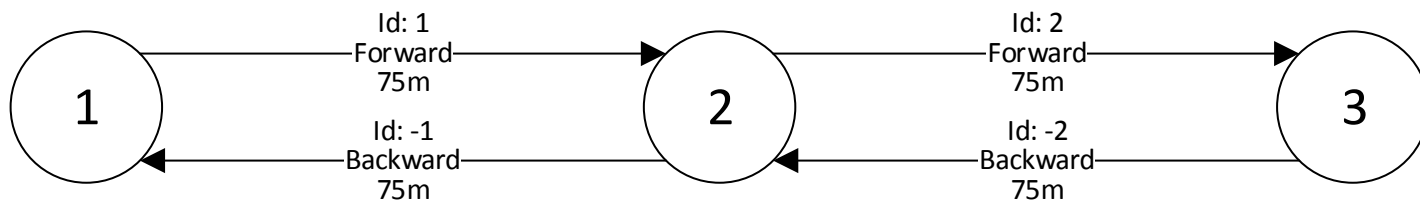
Solution

- Step 3: Create directed graph
 - GTFS stop generates projected stops on both directed edges



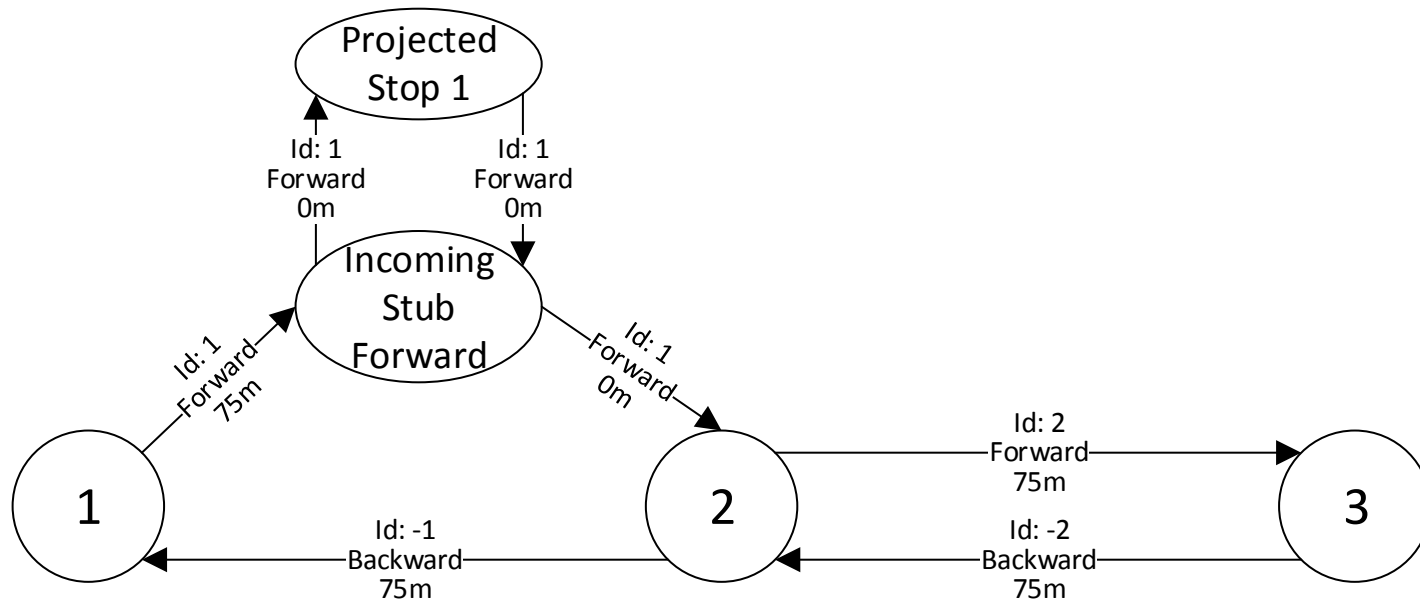
Solution

- Step 3: Create directed graph
 - Add projected stop 1 on link with id 1, coinciding with node 2



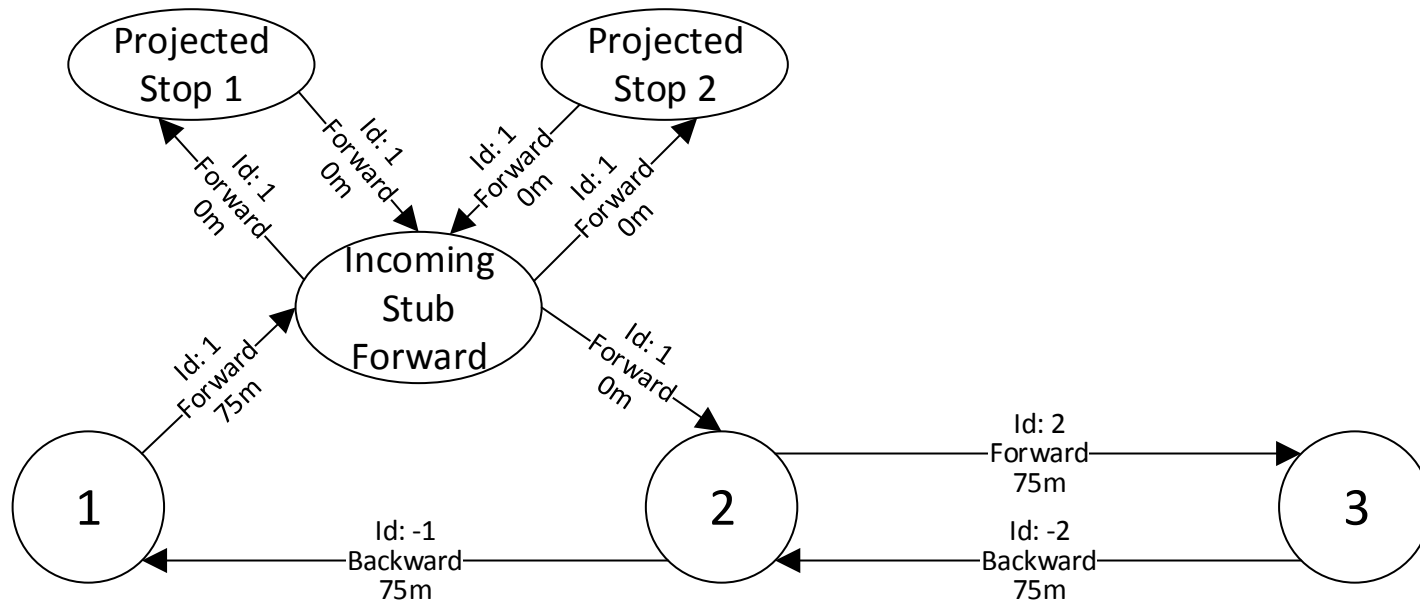
Solution

- Step 3: Create directed graph
 - Add projected stop 2 on link with id 1, coinciding with node 2



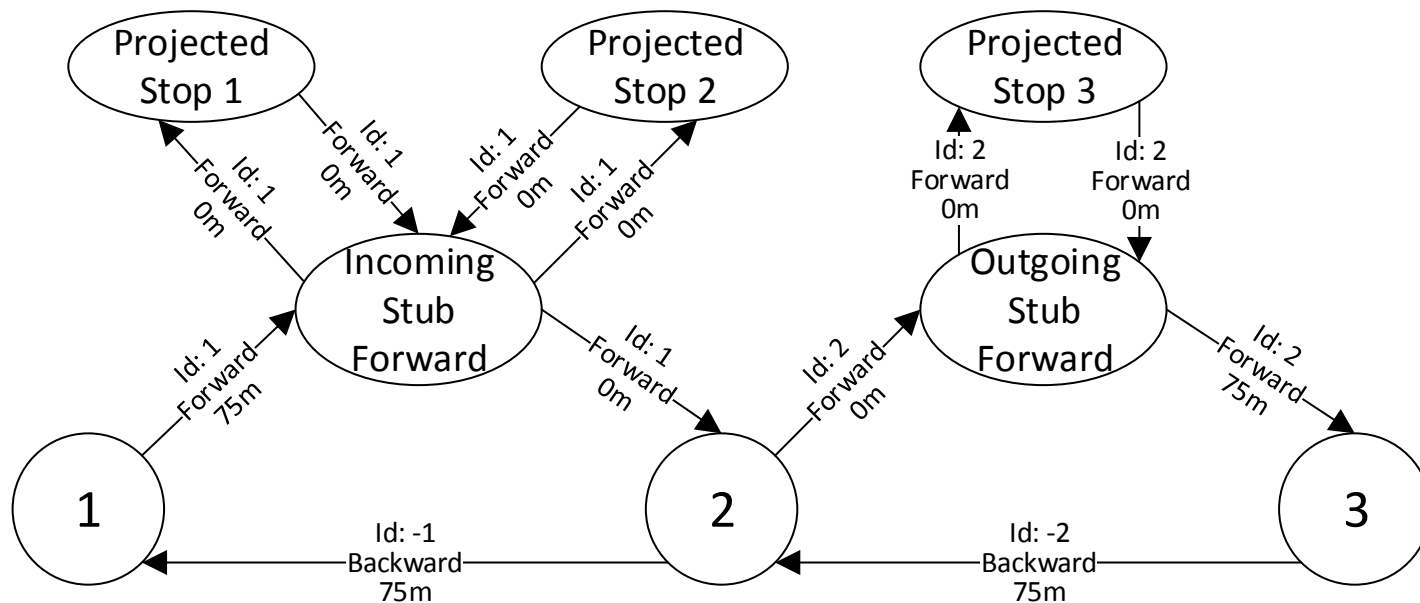
Solution

- Step 3: Create directed graph
 - Add projected stop 3 on link with id 2, coinciding with node 2



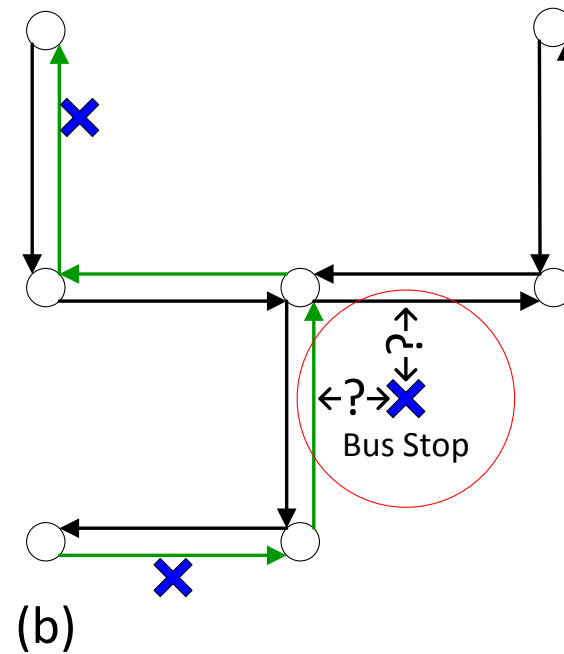
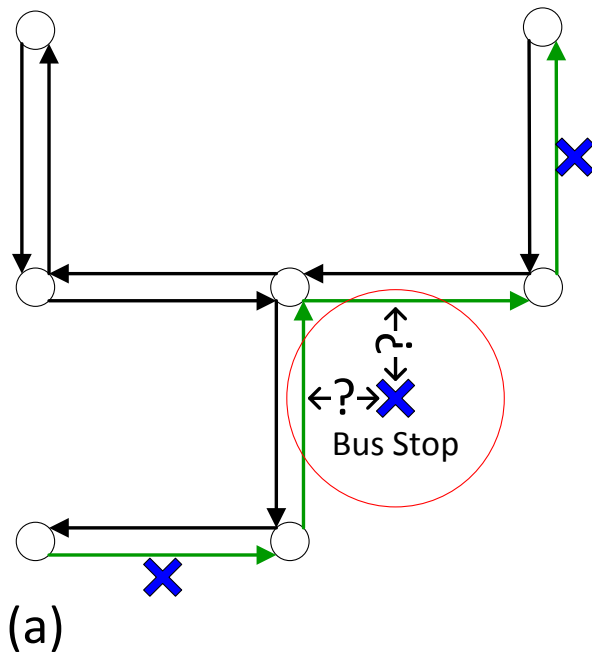
Solution

- Step 3: Create directed graph



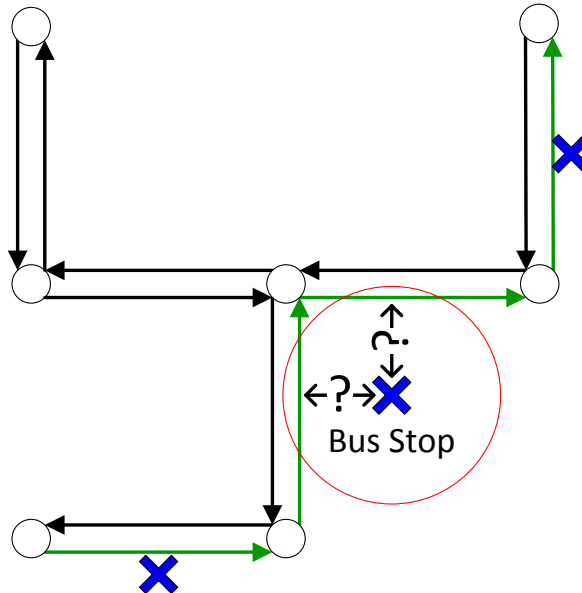
Solution

- Step 4: Assign unambiguous GTFS stops
 - Shortest distance between consecutive stops
 - Does not mean that complete solution for trip is found



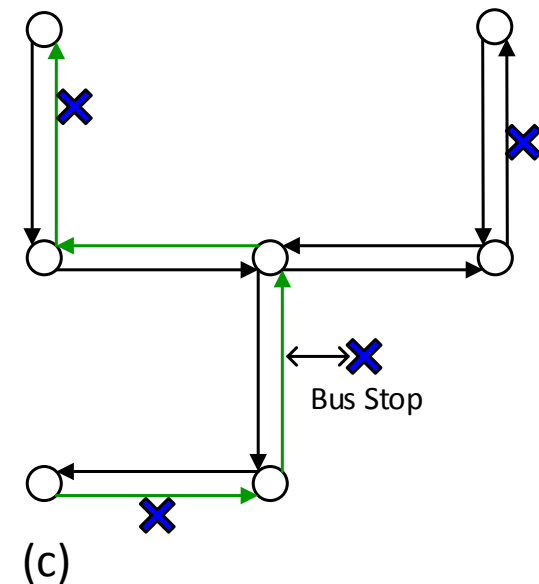
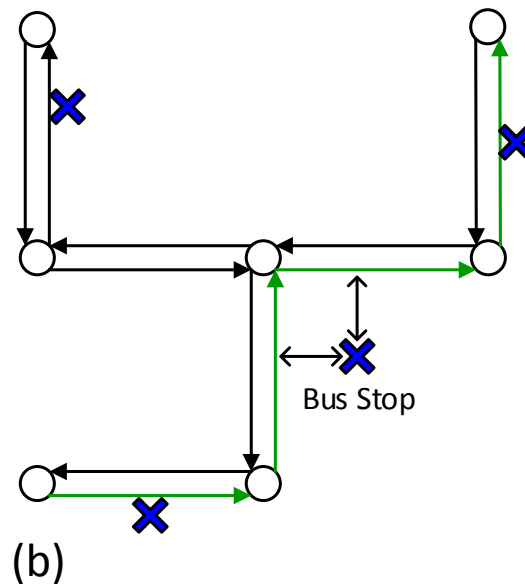
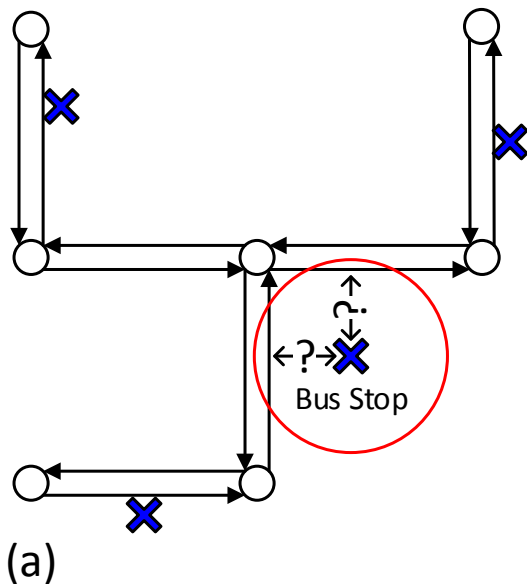
Solution

- Step 5: Assign ambiguous non-shared unassigned GTFS stops
 - For each GTFS stop exactly one Projected stop is to be chosen such that
 - The sum of the path weights (distances) is minimal over single trip



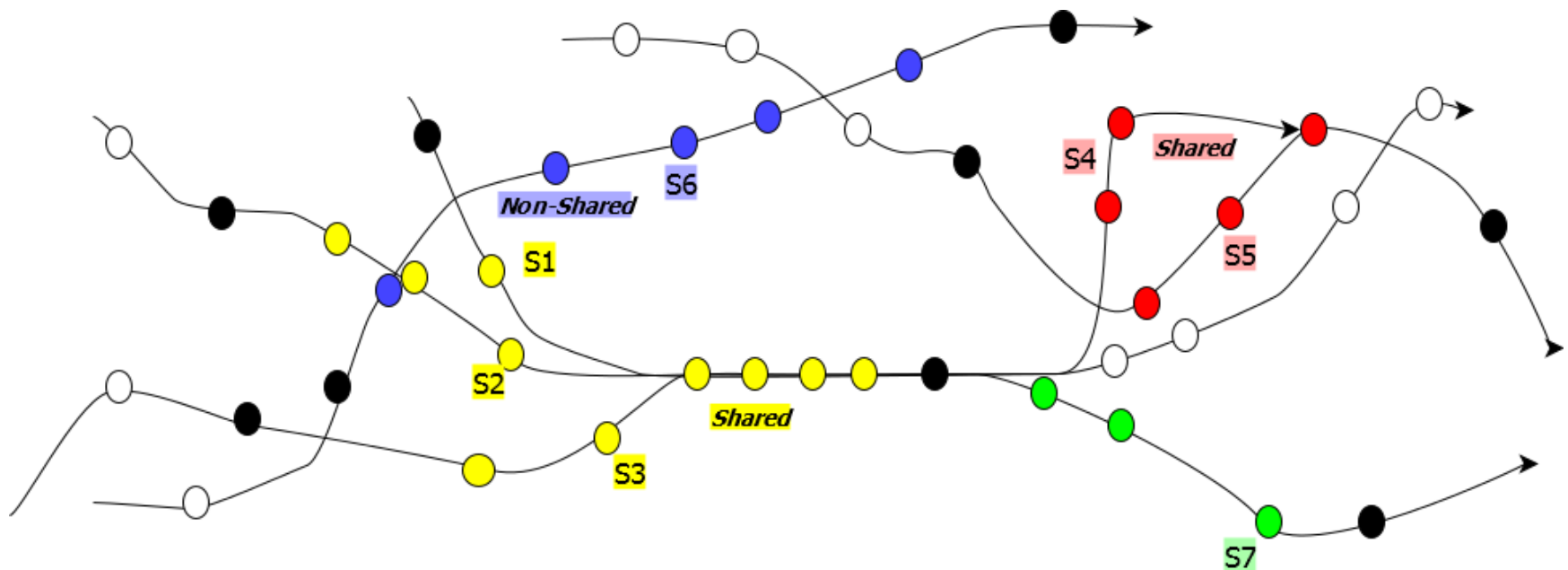
Solution

- Step 6: Assign ambiguous shared GTFS stops
 - For each GTFS stop exactly one Projected stop is to be chosen such that
 - For each bus line, a path in the graph is reconstituted
 - The sum of all bus lines their score is minimal



Solution

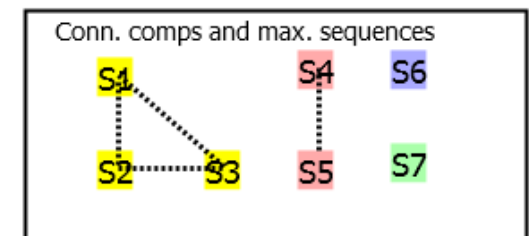
- Find minimal components for step 5 and step 6



Maximal sequences of non-assigned projected stops.

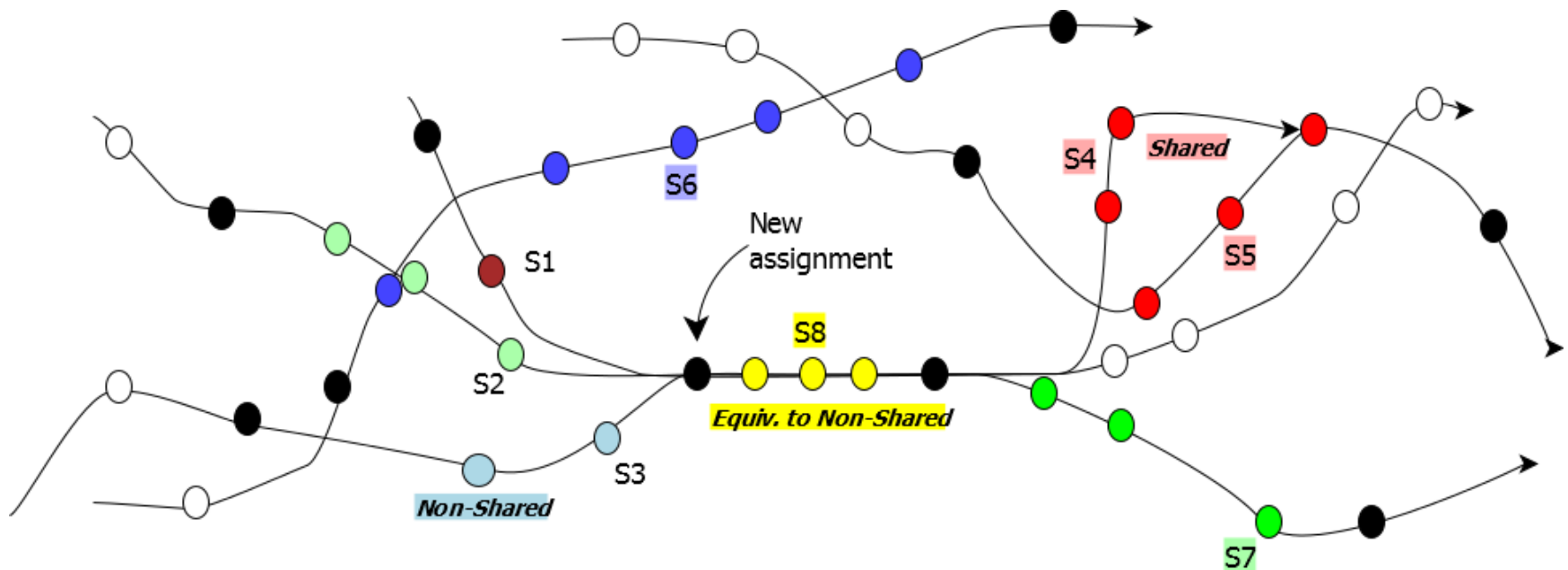
● Assigned stop.

● ● ● ● Connected components of non-Assigned stops.



Solution

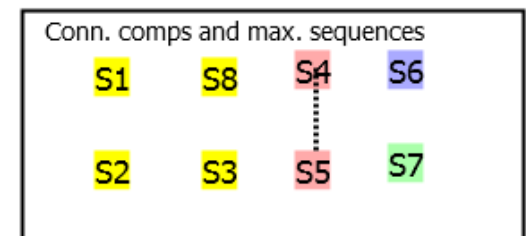
- Find minimal components for step 5 and step 6



Maximal sequences of non-assigned projected stops.

● Assigned stop.

● ● ● ● Connected components of non-Assigned stops.



Results

- Started with:
 - 3.783.119 nodes
 - 776.483 roads
- OSM Cleaning:
 - Filtering road types : 164.081 roads removed
 - Resetting incorrect individual values : 0 roads
 - Auto complete data : 136.071 roads
 - Reset incorrect values for related quantities : 571.310 roads
 - Add missing data through rules : all roads
 - Remove links with zero length : 25 links removed
 - Merge GeneralTransportInfrastructures : 72.044 roads merged
 - Merge GeneralLinks : 178.738 links merged
 - Strongly maximum connected subgraph : 24.046 nodes removed
- Ended with:
 - 2.975.568 nodes (Removed 807.551 in total)
 - 537.271 roads (Removed 239.212 in total)

Results

- Step 1: Find projected stops
 - 124.496 projected stops for 31.082 GTFS stops
- Step 2: Reduce candidates
 - 3.141 stops assigned
- Step 3: Create directed graph (projected stops)
- Step 4: Assign unambiguous GTFS stops
 - 19.441 stops assigned
- Step 5: Assign ambiguous non-shared GTFS stops
 - 0 stops assigned
- Step 6: Assign ambiguous shared GTFS stops
 - All the rest (work in progress)

THANKS

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